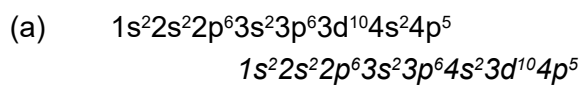
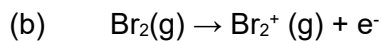


Mark schemes

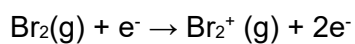
Q1.



1



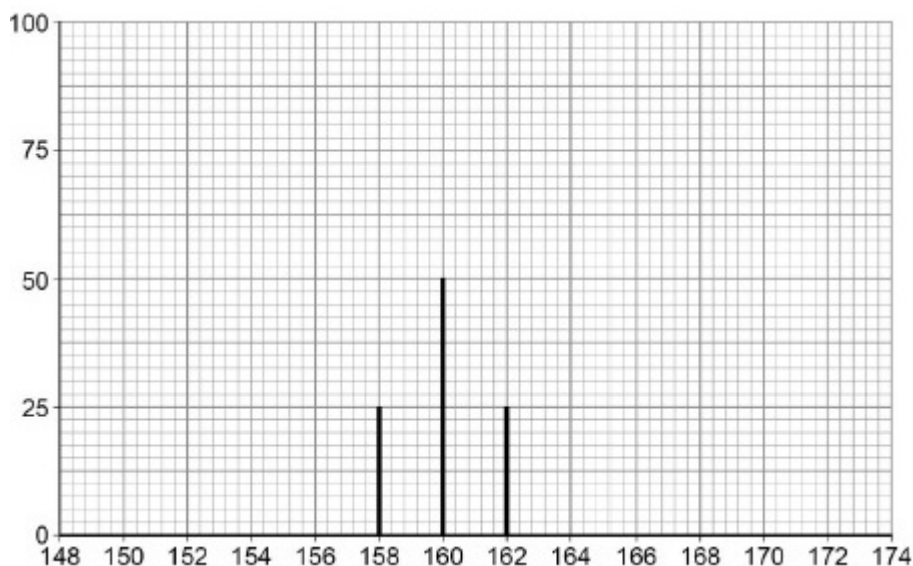
OR



Do not penalise the inclusion of a radical dot

1

(c)



M1: both axes labelled

y-axis = (relative) abundance **or** %

x-axis = m/z

M2: two additional peaks at m/z = 160 and 162

M3: peaks at 158, 160 and 162 in the relative heights 1:2:1

3

(d) The (relative) abundance is proportional to the size of the current.

1

[6]

Q2.

(a) B/Boron

Any 2 from:

Protons in the centre of the atom/nucleus

Electrons are in shells/energy levels (around the nucleus)

Neutrons in the centre of the atom/nucleus

Most of the atom is empty space/most of mass in nucleus

3

(b) **Definition**

Average / mean mass of 1 atom (of an element) (1)
 1/12 mass of one atom of ^{12}C (1)

Or

Average / mean mass of atoms of an element
 1/12 mass of one atom of ^{12}C

Or

Average / mean mass of atoms of an element $\times 12$
 mass of one atom of ^{12}C

Or

(Average) mass of one mole of atoms
 1/12 mass of one mole of ^{12}C

Or

(Weighted) average mass of all the isotopes
 1/12 mass of one atom of ^{12}C

Or

Average mass of an atom/isotope
 compared to/relative to C-12 on a scale in which an atom of C-12 has a
 mass of 12

JustificationTellurium has $Z = 52$ but iodine has $Z = 53$

Or

Te has **one** fewer proton than I / I has **one** more proton

Or

Tellurium has 6 outer shell electrons/valence electrons but iodine has 7

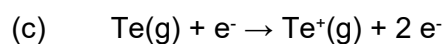
Or

Te has similar chemistry/chemical properties to other Group 6 elements

Or

I has similar chemistry/chemical properties to other Group 7 elements

3



Or



1

(d)

M1 $v = \frac{d}{t} = 4.17 \times 10^6 \text{ (m s}^{-1}\text{)}$

M2 $m = \frac{2\text{KE} \times t^2}{d^2}$ or $m = \frac{2\text{KE}}{v^2}$ or $\frac{2 \times 1.88 \times 10^{-12}}{(4.17 \times 10^6)^2}$

M3 $m = 2.16 \times 10^{-25}$ to $2.17 \times 10^{-25} \text{ (kg)}$

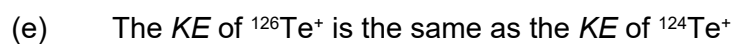
M4 mass of 1 mole of ions = $L \times 1000 \times \text{M3} = 130.4 \text{ (g)}$

M4 Allow 130 to 131 (3 or more significant figures)

M5 $y = 130$ or 131

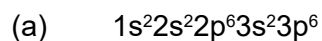
M5 Must be an integer

5

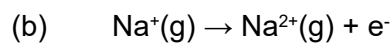


1

[13]

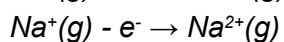
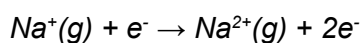
Q3.

1



Ignore state symbol on electron, even if wrong.

Allow



1



M2 large jump after the sixth electron is removed
due to the 7th electron being removed / large
difference between ionisation energy 6 and 7

M3 electron removed from the (2p) orbital /
(second) energy level / (second) shell which
is closer to the nucleus / lower in energy / has
less shielding

Both ideas needed for mark

3

[5]

Q4.(a) **M1**

$$v = \frac{d}{t} = \frac{0.750}{2.48 \times 10^{-5}} = 30241.9 \text{ m s}^{-1}$$

M1 Calculation of v **M2**

$$m = \frac{2ke}{v^2} = \frac{2 \times 1.36 \times 10^{-16}}{(\text{ans to M1})^2}$$

M2 Calculation of m (in kg)

$$m = \frac{2ke}{v^2} = \frac{2 \times 1.36 \times 10^{-16}}{(30241.9)^2} = 2.974 \times 10^{-25} \text{ kg}$$

M3

$$m = (\text{ans to M2}) \times 1000$$

M3 calculation of m (in g)

$$m = 2.974 \times 10^{-25} \times 1000 = 2.974 \times 10^{-22} \text{ g}$$

M4

$$\text{mass} = (\text{ans to M3}) \times 6.022 \times 10^{23}$$

M4 calculation of mass of one mole of ions

$$\text{mass} = 2.974 \times 10^{-22} \times 6.022 \times 10^{23} = 179(.1)$$

M5

$$\text{Mass of one mole} = (\text{ans to M4}) - 1 = 178(.1)$$

M5 subtracts 1 for mass of H^+

$$\text{Mass of one mole} = 179.1 - 1 = 178(.1)$$

5

- (b) (High energy) electrons (from an electron gun) are used to knock out an electron (from each molecule or atom.)

1

- (c) Ion that reaches detector last: CO^{2+}

Justification: Has the highest mass (to charge ratio) (so will travel the slowest)

2

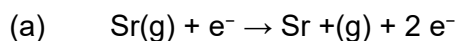
- (d) **M1** (ions hit a detector and) each ion gains an electron (generating a current)

M2 (the abundance is) proportional to (the size of) the current

Allow the use of electron multiplier to amplify the current

2

[10]

Q5.*Allow $\text{Sr(g)} \rightarrow \text{Sr}^+(g) + \text{e}^-$*

1

(b) $M1 \quad v = (d \div t) = 0.950 \div 9.47 \times 10^{-4} \text{ OR } 1003 \text{ m s}^{-1}$

Recall and conversion of d into metres

$$M2 \quad m = \frac{2KE}{v^2} \text{ or } \frac{2 \times 7.02 \times 10^{-20}}{1003^2} (= 1.396 \times 10^{-25} \text{ kg})$$

$$\text{Allow } \frac{2 \times 7.02 \times 10^{-20}}{M1^2} \text{ or } \frac{2KE \, t^2}{d^2}$$

$M3 \text{ mass of ion} = 1.396 \times 10^{-22} \text{ (g)}$

$M3 = M2 \times 1000$

$M4 \text{ mass of one mol of ions in g} =$

$1.396 \times 10^{-22} \times 6.022 \times 10^{23} (= 84.04)$

$M4 = M3 \times \text{Avogadro's number}$

Conversion to g may be seen in M4

$M5 \text{ mass number} = 84$

Answer as whole number

5

- (c)
- M1**
- (Ions hit a detector/electron multiplier and)
-
- each ion gains an electron (generating a
-
- current)

M2 current is proportional to abundance

2

(d) **M1** Abundance $^{87}\text{Sr} = 2 \times 18 \div 3 = 12(\%)$

$$\frac{(82 \times 88) + (12 \times 87) + (6 \times 86)}{100}$$

M2 $A_r =$

M3 $= 87.8$

Answer to 1 decimal place

3

- (e) the protein (ion) does not break up/fragment

1

[12]

Q6.

$$\begin{aligned}\text{Mass of one ion of } ^{121}\text{Sb}^+ &= 121 / (1000 \times 6.022 \times 10^{23}) \\ &= 2.009 \times 10^{-25} \text{ kg}\end{aligned}$$

1

$$V = d/t$$

$$\begin{aligned}&= 1.050 / 5.93 \times 10^{-4} \\ &= 1770.658 \text{ (m s}^{-1}\text{)}\end{aligned}$$

Alternative method

$$KE = \frac{1}{2} m d^2/t^2$$

1

$$KE = \frac{1}{2} m v^2$$

$$\begin{aligned}&= \frac{1}{2} \times 2.009 \times 10^{-25} \times (M2)^2 \text{ (or } = \frac{1}{2} \times M1 \times (M2)^2\text{)} \\ &= 3.1493 \times 10^{-19} \text{ (J)}\end{aligned}$$

$$m_{121}/t_{121}^2 = m_{123}/t_{123}^2$$

1

$$V_{123} = \sqrt{\left(\frac{2KE}{m}\right)}$$

$$\begin{aligned}&= \sqrt{[2(M3) / 2.0425 \times 10^{-25}]}\end{aligned}$$

$$= \sqrt{3083769.889}$$

$$= 1756.07 \text{ (m s}^{-1}\text{)}$$

$$T_{123}^2 = 123/121 \times t_{121}^2$$

$$= 3.57 \times 10^{-7} \text{ (s}^2\text{)}$$

1

$$t = d / v$$

$$= 1.050 / (M4)$$

$$= 5.98 \times 10^{-4} \text{ s}$$

$$t_{123} = \sqrt{M4}$$

1

[5]

Q7.

- (a)
- average/mean mass of 1 atom (of an element)

1/12 mass of one atom of ^{12}C **or**average/mean mass of atoms of an element1/12 mass of one atom of ^{12}C **or**average/mean mass of atoms of an element $\times 12$ mass of one atom of ^{12}C **or**(average) mass of one mole of atoms1/12 mass of one mole of ^{12}C **or**(weighted) average mass of all the isotopes1/12 mass of one atom of ^{12}C **or**

average mass of an atom/isotope (compared to C-12) on a scale in which an atom of C-12 has a mass of 12

 $M1 = \text{top line}$

1

 $M2 = \text{bottom line}$

1

if moles and atoms/isotopes mixed max = 1

$$(b) \quad \mathbf{M1} \quad 186.3 = \frac{(185 \times 10) + (X \times 17)}{27}$$

correct expression

1

$$\mathbf{M2} \quad (\text{relative isotopic mass}) = 187(.1)$$

1

- (c) same electron configuration

*allow same number of electrons**allow same electron structure**ignore same number of protons**ignore different number of neutrons**do **not** accept same number of neutrons*

1

(d) **M1** $\text{mass } {}^{185}\text{Re} \left(= \frac{185}{6.02 \times 10^{23} \times 1000} \right) = 3.072 \times 10^{-25}$
calculate mass in kg

1

M2 $v = \frac{d}{t}$
recall of $v = d/t$

1

M3 $v^2 = \frac{2KE}{m}$ **or** $7.5(0) \times 10^{11}$
rearrangement to get v^2

1

M4 $v = \sqrt{\frac{2KE}{m}}$ **or** 8.66×10^5
allow $\sqrt{\frac{2 \times 1.153 \times 10^{-13}}{M1}}$

1

M5 $t \left(= \frac{1.45}{8.66 \times 10^5} \right) = 1.67 \times 10^{-6} \text{ (s)}$
 $M5 \ t = \frac{1.45}{M4}$
allow 1.67×10^{-6} to $1.68 \times 10^{-6} \text{ (s)}$

1

alternative method:

M1 $\text{mass } {}^{185}\text{Re} \left(= \frac{185}{6.02 \times 10^{23} \times 1000} \right) = 3.072 \times 10^{-25}$
calculate mass in kg

1

M2 $v = \frac{d}{t}$ **or** $KE = \frac{md^2}{2t^2}$
recall of $v = d/t$

1

M3 $t^2 = \frac{md^2}{2KE}$
rearrangement to get t^2

1

M4 $t = \sqrt{\frac{md^2}{2KE}}$ **or** $\sqrt{\frac{md^2}{2KE}}$ **or** $\sqrt{\frac{3.072 \times 10^{-25}}{2 \times 1.153 \times 10^{-13}}}$

$$\text{allow } \sqrt{\frac{M1}{2 \times 1.153 \times 10^{-13}}}$$

1

M5 $t = 1.67 \times 10^{-6} \text{ (s)}$

allow 1.67×10^{-6} to $1.68 \times 10^{-6} \text{ (s)}$

1

(e) at the detector/(negative) plate the ions/Re⁺ gain an electron

1

(relative) abundance depends on the size of the current

1

alternative answer

M1 ion knocks out an electron into electron multiplier

M2 signal from electron multiplier proportional to number of ions

[12]